

Economics 414 – Midterm

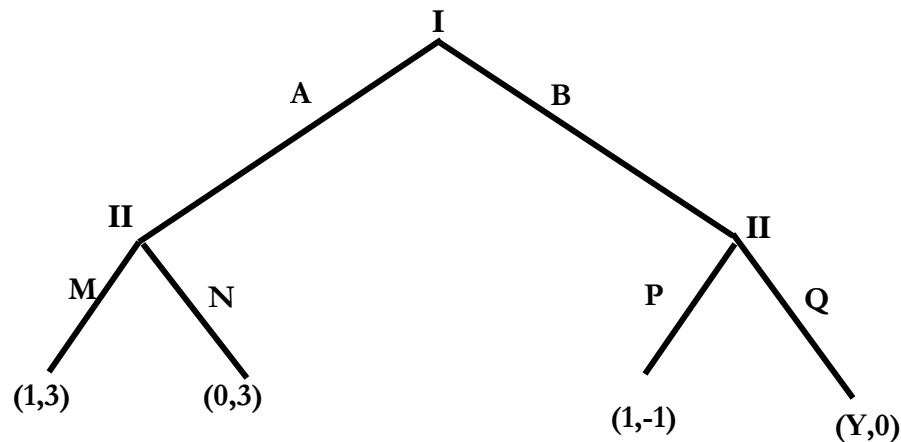
Please answer ALL questions on this examination. Be sure to explain any non-standard notation that you use. You must justify your answers to receive full credit. Good luck!

1. (50%) Consider the following simultaneous move game:

		Player 2	
		X	Y
Player 1	A	(1, 1)	(G, 2)
	B	(1, 0)	(1, 0)
	C	(3, 3)	(0, 0)

- Define what is meant by a *strict Nash equilibrium*.
- Suppose player 1 puts weight $\frac{1}{2}$ on her B and C actions. For what values of G does this mixture strictly dominate her action, A?
- Suppose $G = 0$, find ALL Nash Equilibria.
- Are any of the pure strategy Nash Equilibria you found in part (c) *strict Nash equilibria*? If yes, which ones?

2. (25%) Consider the following extensive game:



Payoffs are denoted (J,K) where J is player I's payoff and K is player II's payoff.

- Write down all possible strategies of each player.
- How many subgames does the above game have?
- Solve for the Subgame Perfect Nash Equilibrium of the extensive game when $Y = 1$.
- Solve for the Subgame Perfect Nash Equilibrium of the extensive game when $Y = 0$.

3. (25%) Consider the Bertrand model of oligopoly with 2 firms who have the following constant marginal cost:

$$c_1 = \$1.00 \quad \& \quad c_2 = \$2.00$$

The inverse demand curve is: $P(Q) = 100 - Q$.

- Solve for the Nash Equilibria when firms can only choose prices in increments of one cent (\$0.01).
- Solve for the Nash Equilibria when firms may choose $p_i \in \mathcal{R}^+$ for $i = 1, 2$. In other words, when there is NO smallest increment.